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*Correction*

**Correction: On  $S$ -principal right ideal rings**

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**A correction on**

On  $S$ -principal right ideal rings

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The author would like to make the following correction to the published paper [1].

Let  $R$  be an associative (not necessarily commutative) ring with unity. If an element  $e \in R$  is idempotent, then  $e(1 - e) = 0 = (1 - e)e$ . Therefore, if  $e$  is not a zero-divisor in  $R$ , then  $e$  must be the unity element. Thus, we should replace “ $e$  is not a zero-divisor” with “the multiplicative subsets  $eS$  and  $(1 - e)S$  do not contain the zero element” in [1, Corollary 2.13].

Additionally, to provide an accurate information for the readers, we confirm that the nineteenth paper in [1, References] is published [2].

The change has no material impact on the conclusion of the article. The original manuscript will be updated [1]. We apologize for any inconvenience caused to the readers by this change.

**Conflict of interest**

The author declares no conflict of interest.

**References**

1. J. Baeck, On  $S$ -principal right ideal rings, *AIMS Math.*, **7** (2022), 12106–12122. <http://doi.org/10.3934/math.2022673>

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2. G. Lee, J. Baeck, J. W. Lim, Eakin-Nagata-Eisenbud theorem for right  $S$ -Noetherian rings, *Taiwanese J. Math.*, **27** (2023), 237–257. <http://doi.org/10.11650/tjm/221101>



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